A New Spread Spectrum Watermarking Scheme to Achieve a Tradeoff Between Robustness and Security

**Jian Cao,** Jiwu Huang and Jiangqun Ni School of Information Science and Technology Sun Yat-Sun University, P.R, China,510006 phdcaojian@yahoo.cn

# Outline

- □ Motivations
- Technical approach
- **Experiment results**
- □ Conclusion

# Motivations

#### Background

- Watermarked Only Attack (WOA) attacks:
  - Those attacks whose goal is to gain the knowledge about The secret carriers only from the observations
- Traditional spread spectrum watermarking schemes has been proven to be insecure against carriers estimation
  - The concept of circular watermarking and natural watermarking [1]
    - Circular watermarking: the projection of watermarked signal in the embedding subspace has a distribution invariant under rotations
    - Natural watermarking: the distribution of the projection keeps invariant during embedding
    - Circular watermarking are secure against carriers estimation and natural watermarking are secure both against carriers estimation and embedding subspace estimation

## Motivations

#### □ What is the problem

- Existing implementations, namely, NW and CW-ISS were designed for two extreme situations.
  - NW is designed for the situation where the watermark removal is considered as a very harmful attack and the attacker can gather enough observations, while CW-ISS is designed for the situation where the watermark removal is not considered as a harmful attack or the attacker can only gather seldom observations.

# Motivations

#### Research objectives

- Our motivation is to design a spread spectrum watermarking scheme which is applicable to more situations
  - it is secure against carriers estimation for freely chosen embedding parameters
  - there exists a embedding parameters setting such that it is secure against the embedding subspace estimation
  - there exists a embedding parameters setting such that it can achieve roughly the same robustness as CW-ISS.

# Technical approach

# Normalized-CW: we first present a new circular watermarking

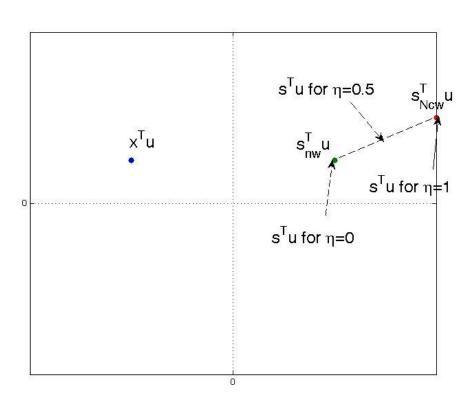
The embedding function is give by:

$$\mathbf{s} = \mathbf{x} + \sum_{i=1}^{N_c} \left( \alpha \mathbf{m}(i) \frac{\operatorname{sign} \mathbf{x}^T \mathbf{u}_i \ \mathbf{x}^T \mathbf{u}_i}{\|\mathbf{x}^T \mathbf{u}_i\|} - \mathbf{x}^T \mathbf{u}_i \right) \mathbf{u}_i$$

- Normalized-CW is the key to design our trade-off watermarking because of the following two properties
  Normalized-CW can achieve roughly the same robustness as CW-ISS
  - Normalized-CW keeps the watermarked signal's projection (in the embedding subspace) in the same orientation as NW

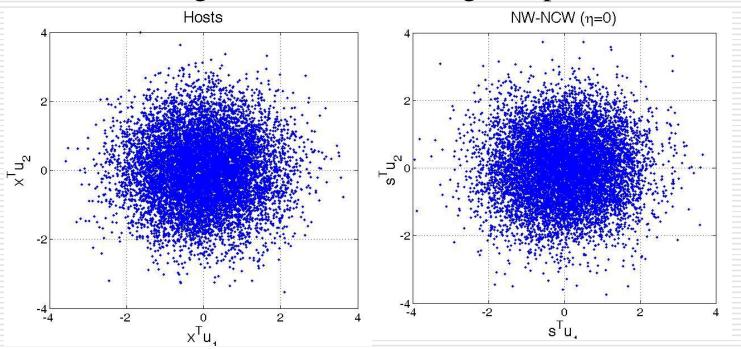
## Technical approach

Tradeoff Watermarking: The tradeoff is achieved by taking an convex combination of the projection of watermarked signal after NW and that after Normalized-CW.

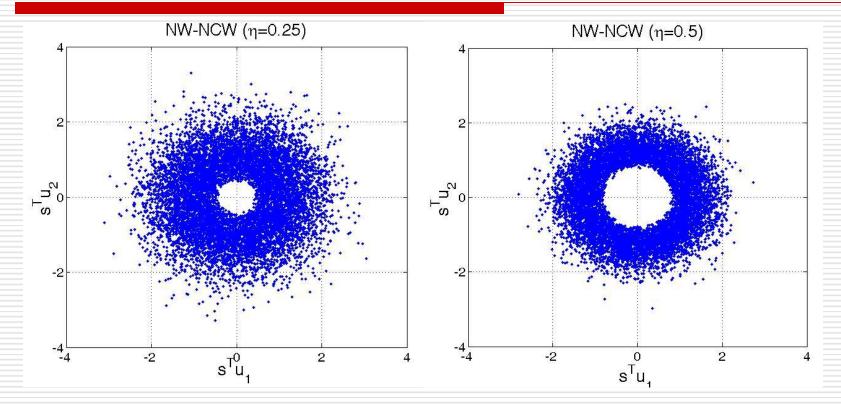


 $\mathbf{s}^{T}\mathbf{u} = (1-\eta)\mathbf{s}_{NW}^{T}\mathbf{u} + \eta\mathbf{s}_{NCW}^{T}\mathbf{u}$ 

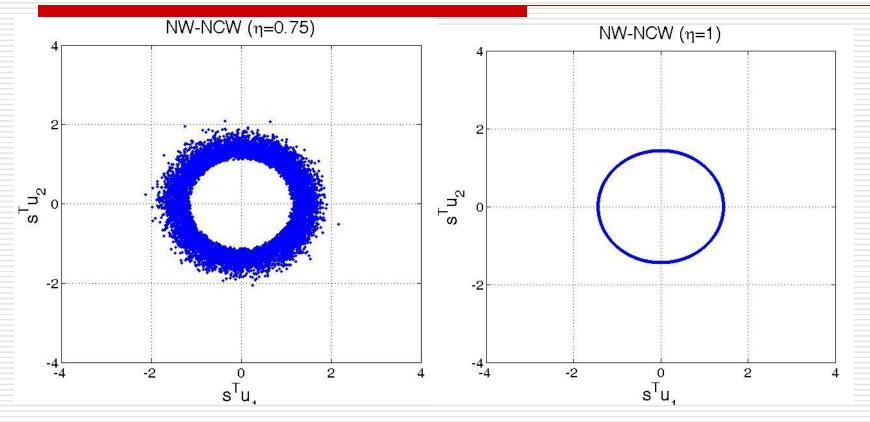
Following figures depict the distributions of the projections of watermarked signal in the embedding subspace for various  $\eta$ 



Projections of observations in the embedding subspace



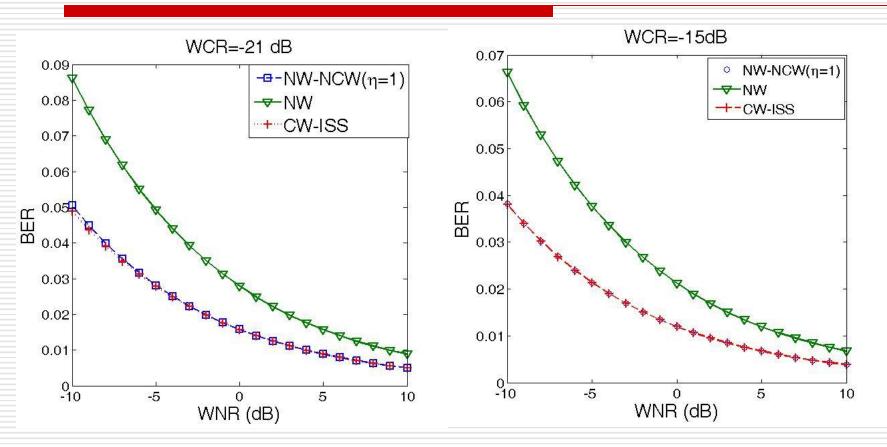
Projections of observations in the embedding subspace



Projections of observations in the embedding subspace

- Conclusion about the security of our tradeoff watermarking
  - As we expected, for any given the embedding parameter, the projection of watermarked signal has a distribution invariant under rotations. Besides, in the case when  $\eta = 0$ , host signal keeps invariant during embedding. These experiments show that for any given the embedding parameter, NW-NCW is secure against carriers estimation and when  $\eta = 0$ , NW-NCW is secure against the embedding subspace estimation.

#### Experiment results (Robustness)



Comparsion of BER for NW, CW-ISS and NW-NCW

#### Experiment results (Robustness)

- □ Conclusion about the robustness of our tradeoff watermarking
  - As we can see, NW-NCW can achieve roughly the same robustness as CW-ISS when the parameter  $\eta = 0$

# Conclusion

Presenting a spread spectrum watermarking scheme which can provide a trade-off between robustness and security. Its three properties:

• It is circular watermarking for freely chosen embedding parameters.

■ There exists a embedding parameters setting such that it is secure against the embedding space estimation.

There exists a embedding parameters setting such that it can achieve roughly the same robustness as circular extension of ISS